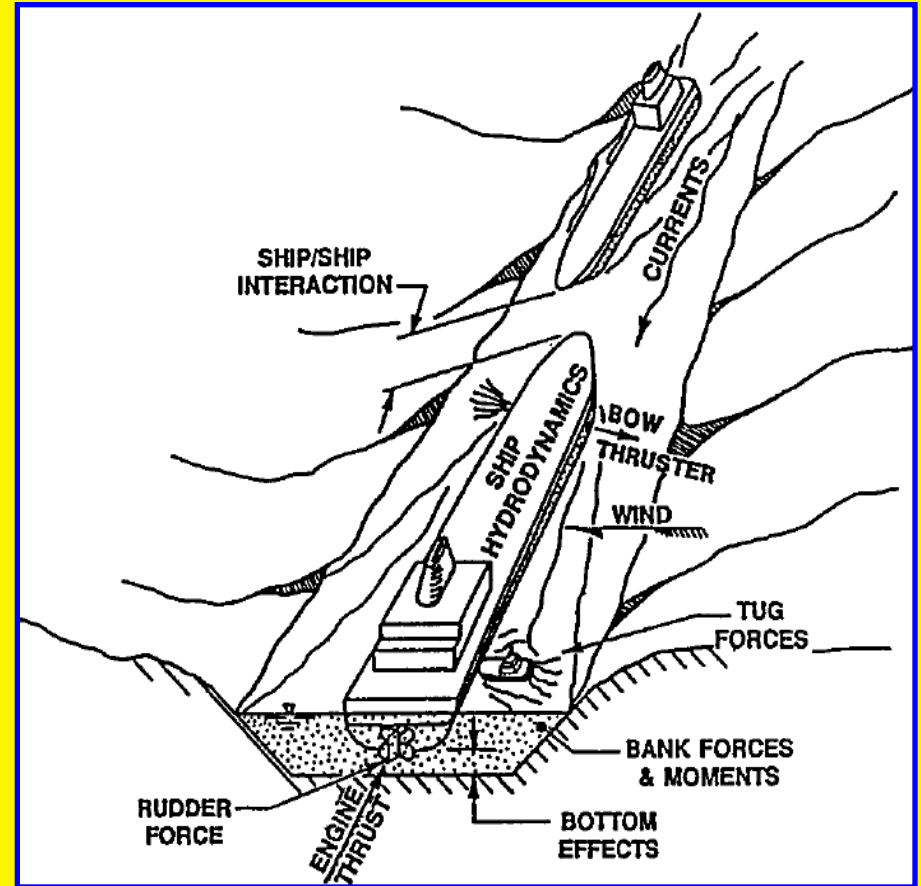


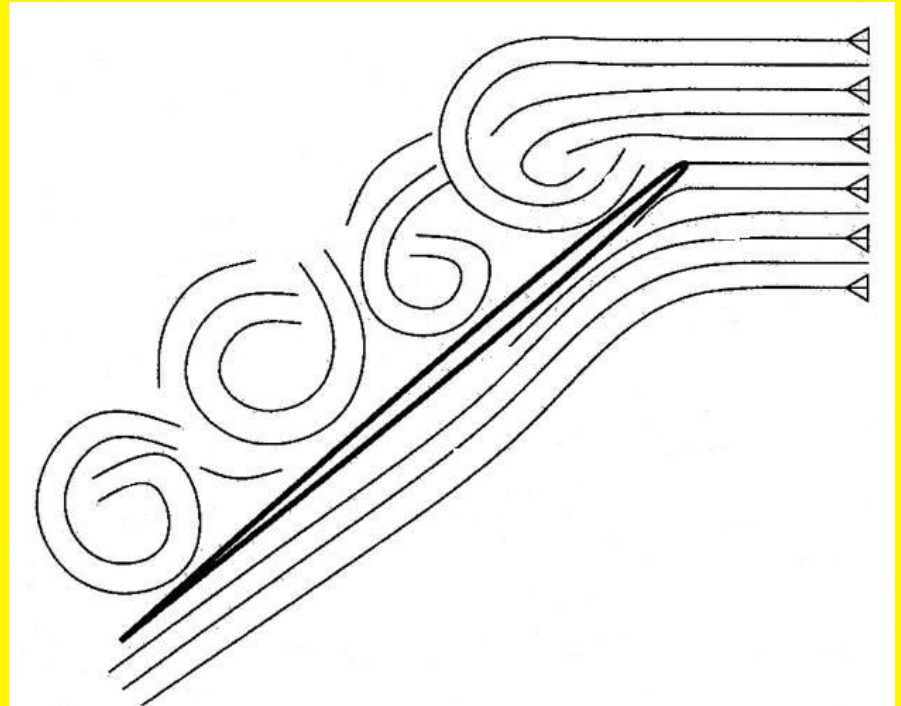
Shiphandling Theory

- There may be more than a dozen forces acting about the vessel's axis at a given moment, and the resultant may not be as anticipated but due partially to a force which has escaped discovery. This is not 'mysticism' as much as lack of the research which takes the art of shiphandling into the finite world of applied science.

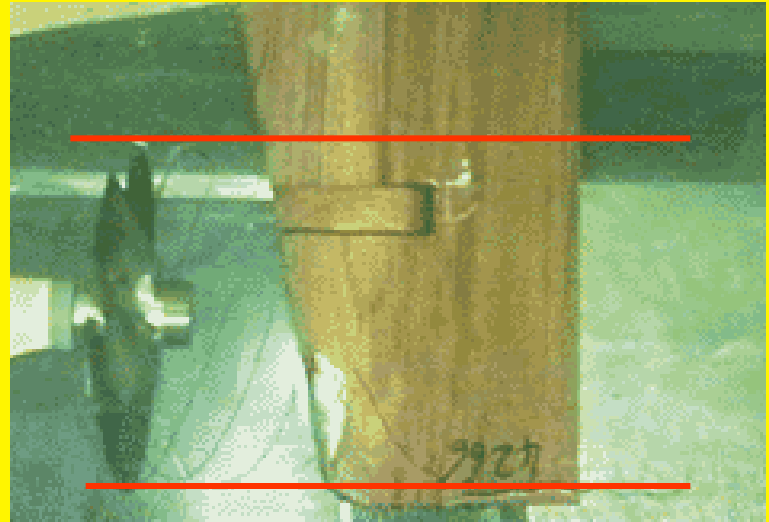
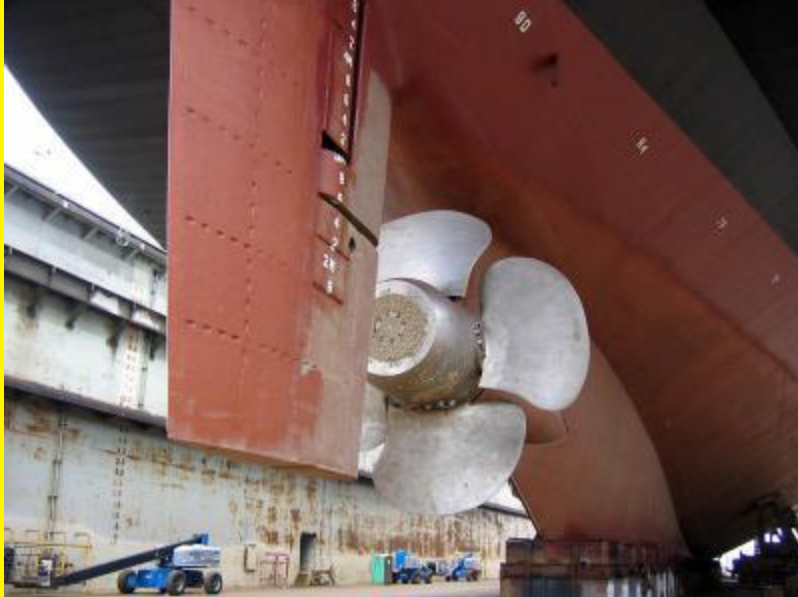
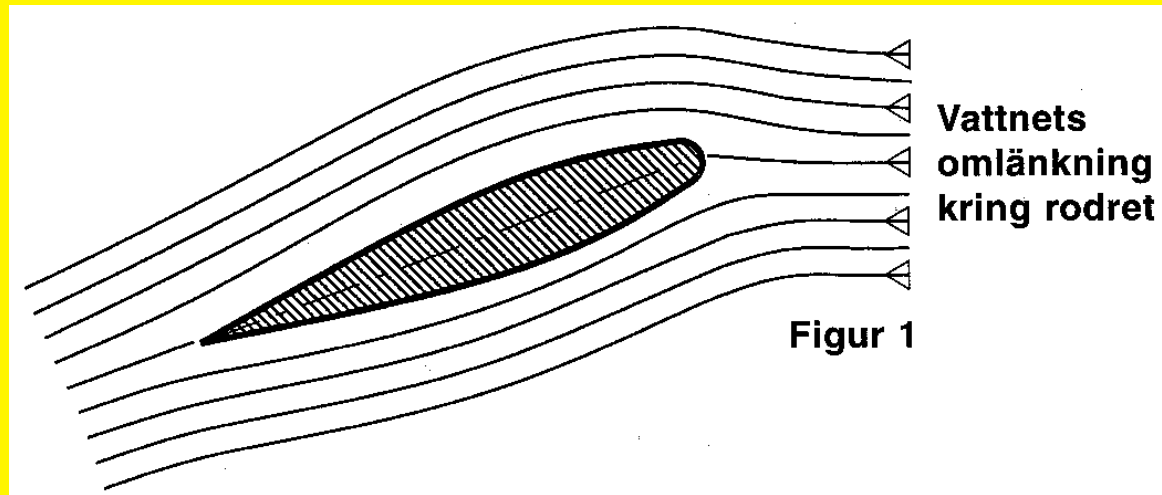
– P.F. WILLERTON, BASIC SHIPHANDLING



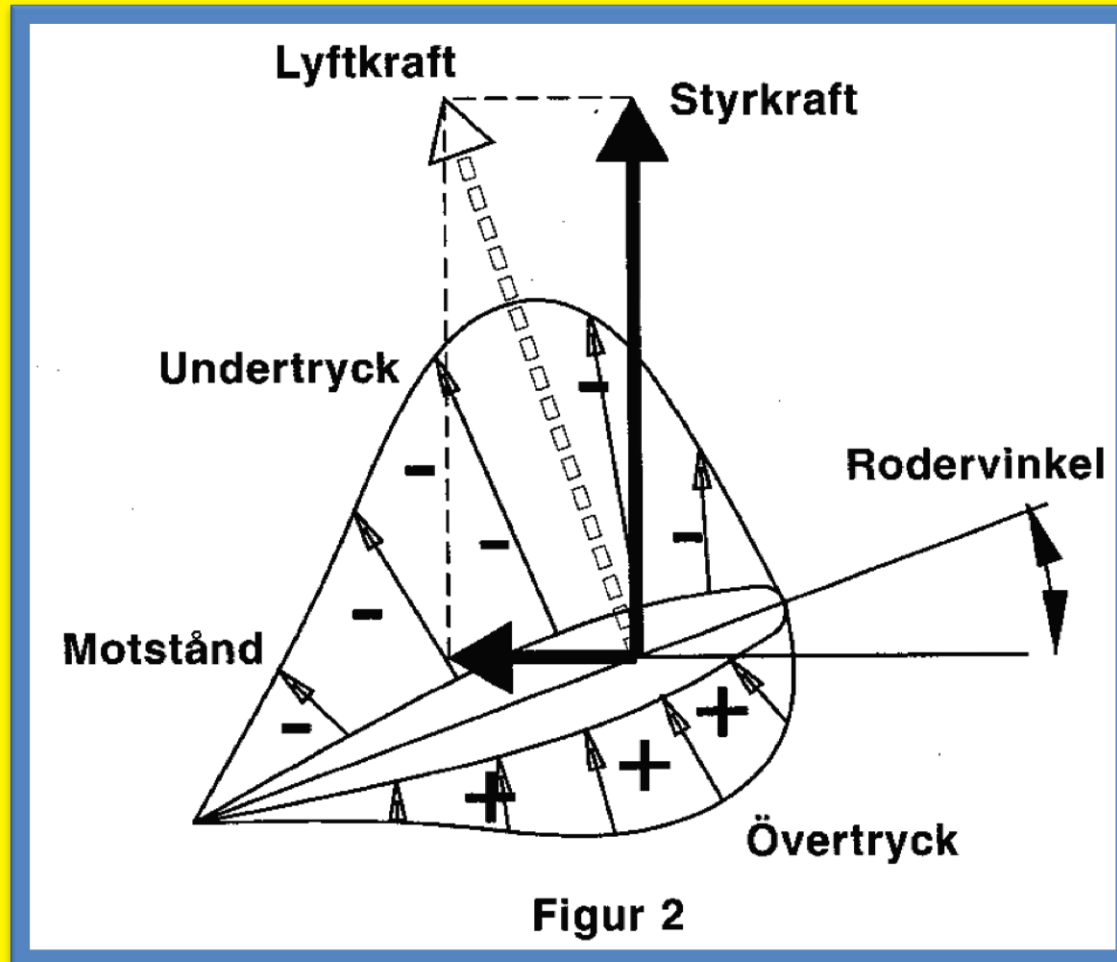
Ships rudder



Ships rudder



Roderkrafter



Conventional rudder (minimum area)

Classification guidance

$$A_r = \frac{d \times L}{100} \times \left[1 + 25 \times \left(\frac{B}{L} \right)^2 \right]$$

$$\frac{9,5 \times 190}{100} \times \left[1 + 25 \times \left(\frac{32,25}{190} \right)^2 \right] = 31m^2$$

“Reed’s Naval Architecture for Marine Engineers

$$A_r = \frac{d \times L}{F} \quad \frac{9,5 \times 190}{65} = 28m^2$$

A_r = Rudder Area

d = Ships Draft

L = Ships Length

B = Ships Breadth

F factor between 60 – 70 depending on ships speed

Example

$d = 9,5$

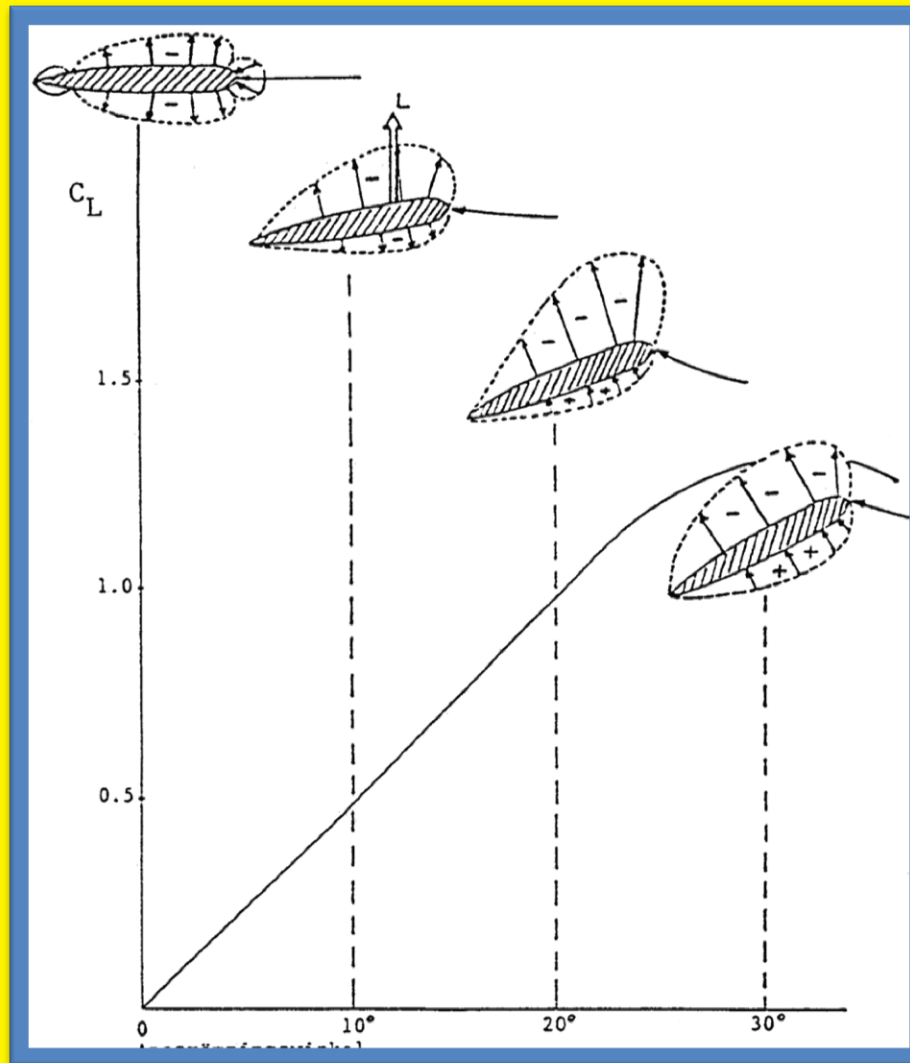
$L = 190$

$B = 32,25$

$F = 65$

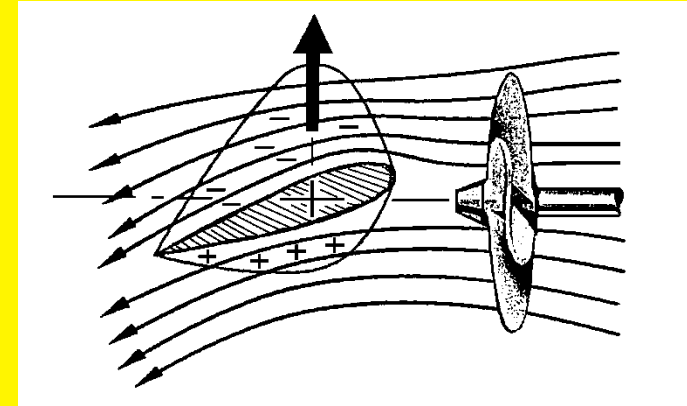
Actual area for the ship 39,8 m²

Rodrets lyftkraft



Rudderforce

SSPA (Sjötransporter, farleder och säkerhet)



$$R_F = 1,5 \times PD \left(\frac{RPM}{100} \right)^2 - 4 \times \frac{2P - D}{\frac{P}{D}} \times \frac{RPM}{100} \times \frac{V_s}{10} + 9 \times \left(\frac{V_s}{10} \right)^2$$

P = Propeller pitch (m)

D= Propellerdiameter(m)

V_s = Ships speed (knots)

R_F = Maximal rudder force per 10 m² rudder area and hard over (ton)

A = Rudder area

(At 15 degrees half rudder force)

Rudderforce;

SSPA (Sjötransporter, farleder och säkerhet)

$$4 \times \left[1,5 \times 4,83 \times 6,35 \left(\frac{48}{100} \right)^2 - 4 \times \frac{2 \times 4,83 - 6,35}{0,76} \times \frac{48}{100} \times \frac{7}{10} + 9 \times \left(\frac{7}{10} \right)^2 \right] = 37 \text{ ton} / 18,5 \text{ ton}$$

$$4 \times \left[1,5 \times 4,83 \times 6,35 \left(\frac{80}{100} \right)^2 - 4 \times \frac{2 \times 4,83 - 6,35}{0,76} \times \frac{80}{100} \times \frac{7}{10} + 9 \times \left(\frac{7}{10} \right)^2 \right] = 96 \text{ ton}$$

Example

a) Rudderforce at 7 knots and 35° and 15°

b) Rudderforce with a short burst of propeller 80 RPM

P = 4,83 m

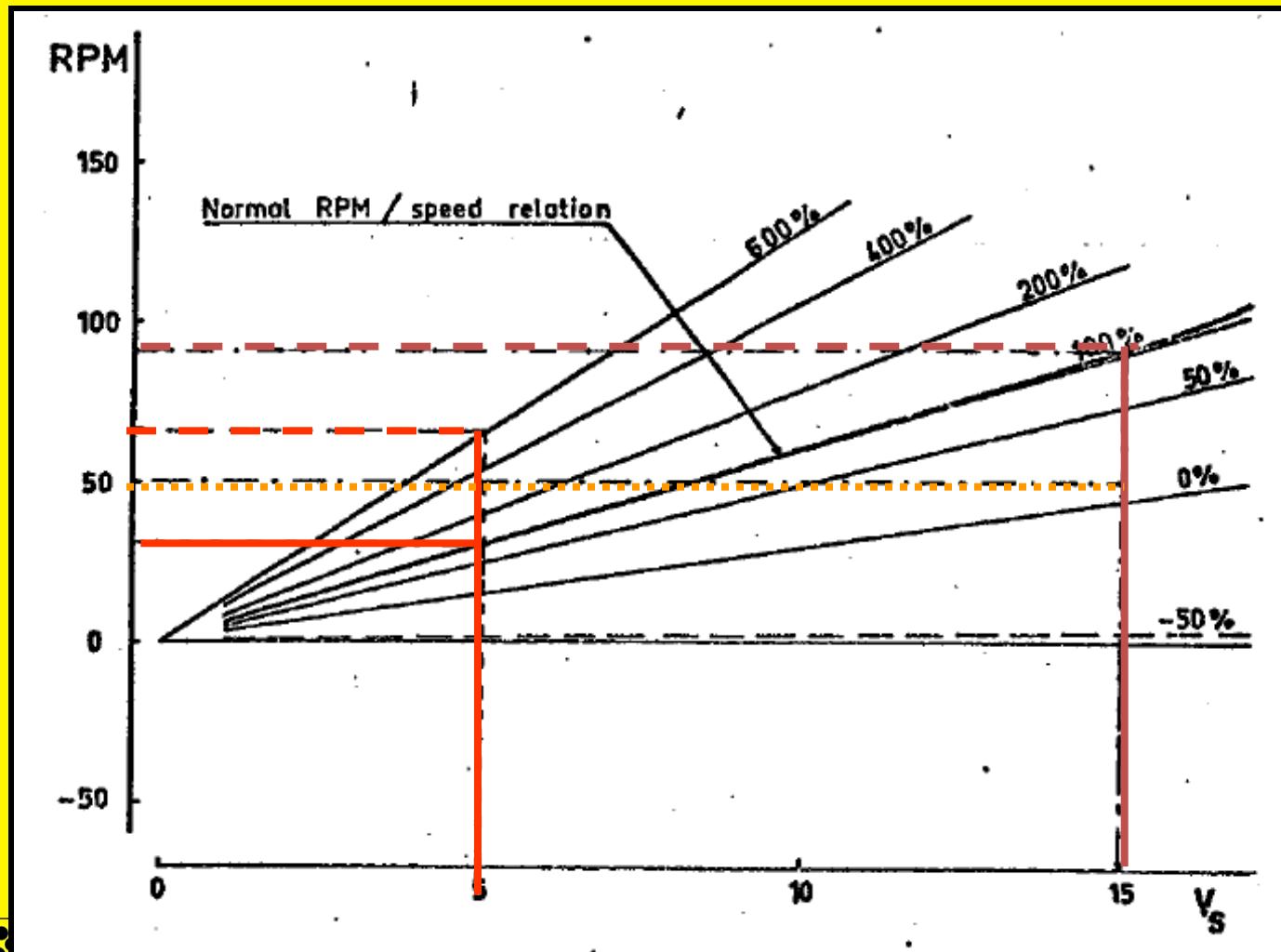
D = 6,35 m

V_s = 7 knots

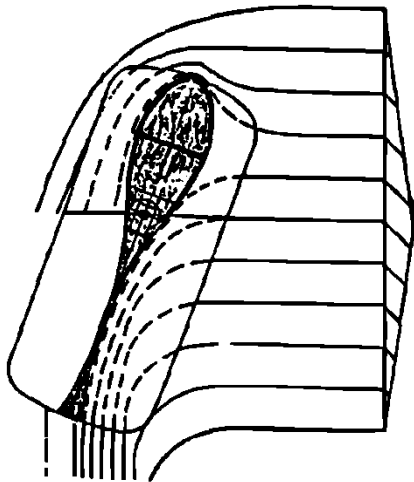
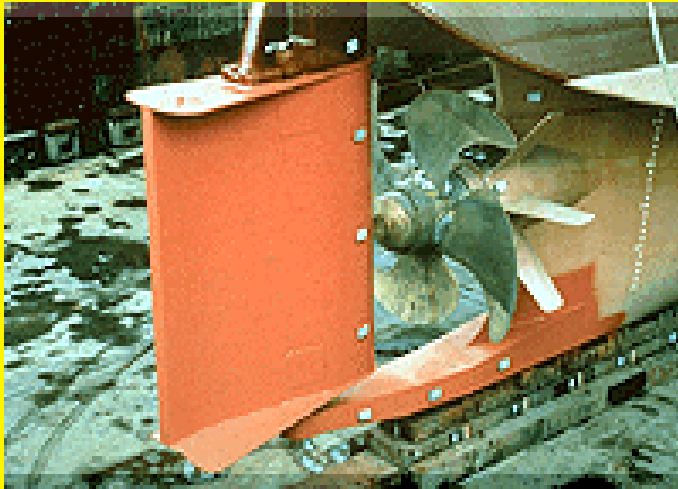
RPM = 48 (80)

A = 40 m²

Roderkrafter 98 000 TDW tanker

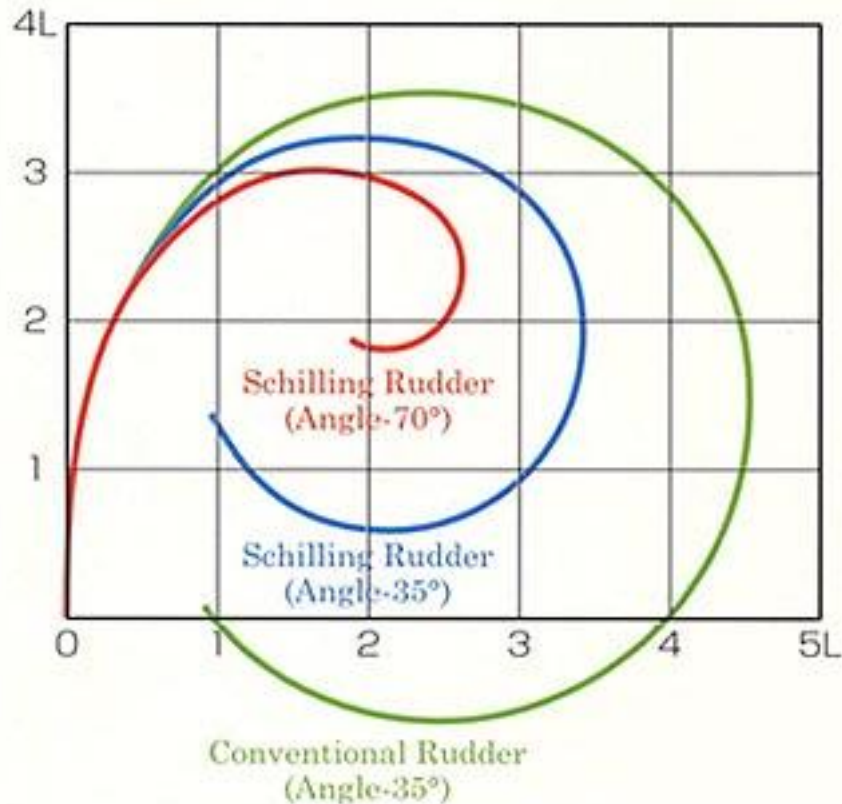


Schilling Rudder

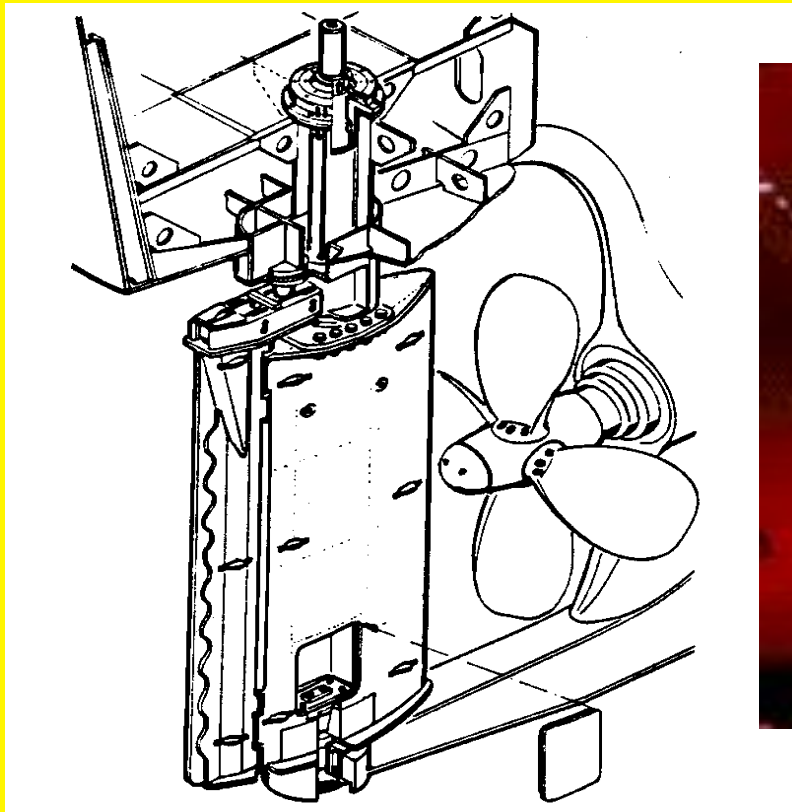


P-Å Kvick

Schilling Rudder



Becker rudder



Own ship power for a normal propeller

$\sim 0.012 - 0.014 \text{ ton/HP}$

$\sim 0.016 - 0.019 \text{ ton/kW}$

Example

12 543 kW

$12\,543 \times 0,016 = 200 \text{ ton}$

Bow Thrusters

500 kW	676 Ahk	≈ 6 ton
1000 kW	1351 Ahk	≈ 13 ton
1500 kW	2027 Ahk	≈ 20 ton
2000 kW	2702 Ahk	≈ 27 ton

Bow thruster on a ship built
1925

