

Tuples, sets, and dictionaries

1DV501/1DT901 - Introduction to Programming

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Lecture slides are available in Moodle

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Today ...

- ▶ Data structures in general
- ▶ Tuples
- ▶ Sets
- ▶ Dictionaries
- ▶ Various left-overs
- ▶ Mini-project information (Not completed)

Reading instructions:

Data Structures – Introduction

- ▶ We often need to handle large sets of data
- ▶ A *data structure* is a model for storing/handling such data sets
- ▶ Scenarios where data structures are needed
 1. Students in a course
 2. Measurements from an experiment
 3. Queue to get an apartment at our campus
 4. Telephone numbers in Stockholm
- ▶ Different scenarios require different data structure properties
 - ▶ Data should be ordered
 - ▶ Not the same element twice
 - ▶ Data come in pairs or have relations between them
 - ▶ Important that look-up is fast
 - ▶ In general: Important that operations X,Y,Z are fast
- ▶ Selecting data structure is a design decision $\Rightarrow$ might affect performance, modifiability, and program comprehension.

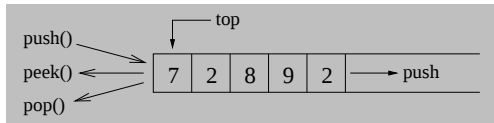
A Few Common Data Structures

- List** A *sequential* collection where each *element* has a position. In principal: a growing/flexible sequence of data
- Queue** A sequential collection with add and remove at different sides
⇒ a *FiFo* (First in, First out)
- Stack** A sequential collection with add and remove at the same side
⇒ a *LiFo* (Last in, First out)
- Deque** A sequential collection with add and remove at both sides
(Deque = Double-Ended Queue)
- Set** A non-ordered collection not containing the same element twice
⇒ Trying to add X twice ⇒ the second attempt is ignored
- Map** (or *Table* or *Dictionary*) A set of *key/value* pairs
Operations: `put(key,value)`, `get(key) --> value`
- Tree** Data ordered as a tree with a root (Will be presented later)
Example: The file system on your hard drive
- Graph** Data (nodes) with binary relations (edges)
Example: A road map with cities (nodes) and roads (edges) between them. Not part of this course.

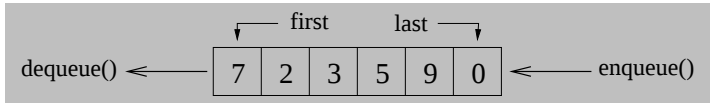
Sequential Data Structures

Sequential $\Rightarrow$ a sequence where each element has a position.

Stack (Last in, first out) Add and remove at one side only.



Queue (First in, first out) Add at one side, remove at the other.

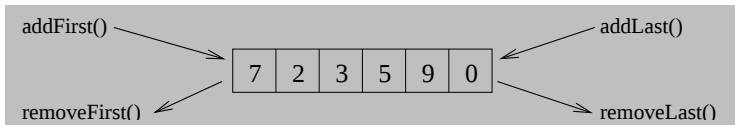


Note: Stack and Queue has a very limited set of operations

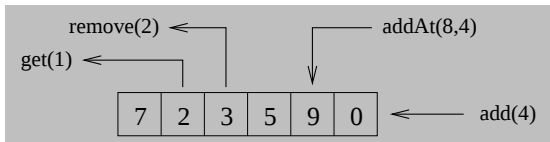
$\Rightarrow$ they are the most simple data structures

Deque and List

Deque (Double-ended Queue) Add and remove at both sides.

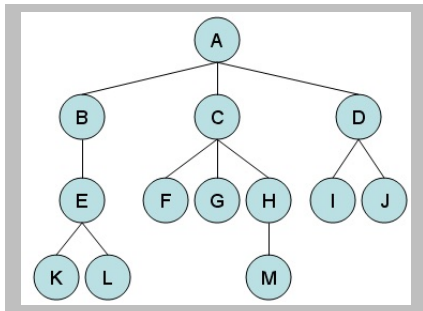


List (Add and remove everywhere)



- ▶ Note: List is the most general sequential data structure
- ▶ Q: Why not always use a list?
 - ▶ A specialized data structure can be more efficient (time, memory).
 - ▶ A specialized structure provides a more precise model
 - ⇒ easier to understand for someone who reads the code

Tree

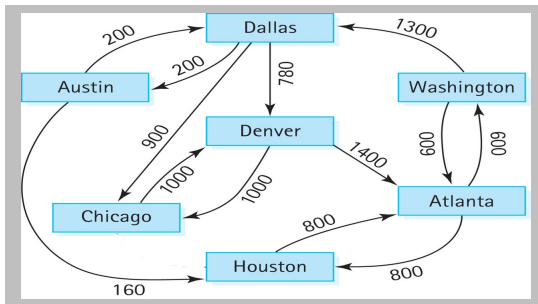


Tree

- ▶ A unique node (A) called the **root** with no parent node
- ▶ All other nodes have one **parent** and zero or more **children**
- ▶ Nodes with no children (e.g. K,L, F) are called **leafs**

Trees are very good at organizing things that are hierarchical. For example, directories on our hard drive.

Graph



Graph

- ▶ A set of **nodes** connected with **edges**
- ▶ All nodes can connect to any other nodes
- ▶ Edges might have **labels** adding information to the connection

Graphs are very good at displaying networks, or any data set where the different data points (nodes) are connected with each other.

Data Structures – Definition

A data structure is defined by:

1. a name
2. the type of data that can be stored
3. a number of operation definitions

Note: What type of implementation that is used is not a part of the definition.

Example:

- ▶ Name: StringStack
- ▶ Data type: Strings
- ▶ Operations
 - ▶ push: Add a string at the top of the stack
 - ▶ pop: Return (and remove) the string at the top of the stack
 - ▶ peek: Return (without removing) the string at the top of the stack
 - ▶ size: Returns the current number of strings in the stack
 - ▶ ...

Note: This is more of a *description* rather than a formal definition. We can use mathematics (so-called formal specifications) to properly define the semantics of each operation.

Introduction to tuples

```
tpl = (1,2,3,4,5)      # Create a new tuple
print(tpl, type(tpl)) # (1, 2, 3, 4, 5) <class 'tuple'>

a = tpl[2]             # Access element at position 2
print(a, type(a))     # 3 <class 'int'>

b = tpl[1:3]           # Slice elements at positions 2 and 3
print(b, type(b))     # (2, 3) <class 'tuple'>

for n in tpl:          # Iterate over all tuple element
    print(n, end=" ")
print()                # 1 2 3 4 5
```

- ▶ Tuples are a sequential data structure
- ▶ Tuples are created using parentheses like (1,2,3,4,5)
- ▶ Elements can be accessed individually (e.g. `tpl[2]`) or as slices (e.g. `tpl[1:3]`)
- ▶ Easy to iterate over all elements: `for n in tpl: ...`

Creating new tuples

```
odd = (1,3,5)      # Create a new tuple object
even = (2,4,6)
zero = 3*(0,0)     # Tuple multiplication

tpl = odd+even+zero # Tuple concatenation
print(tpl)         # (1, 3, 5, 2, 4, 6, 0, 0, 0, 0, 0, 0)

one = (1)
two = (2,)         # Notice comma inside parentheses
three = 3*(1,)
empty = ()
print(one, type(one))    # 1 <class 'int'>
print(two, type(two))    # (2,) <class 'tuple'>
print(three,type(three)) # (1, 1, 1) <class 'tuple'>
print(empty,type(empty)) # () <class 'tuple'>
```

- ▶ Tuples can be concatenated and multiplied to form new tuples
- ▶ `()` is the empty tuple and `(2,)` is tuple with one element
- ▶ **Notice:** You need a comma to create tuples with only one element, Python interprets `(1)` as the integer 1.

Tuples are immutable

Immutable $\Rightarrow$ can not be modified once created

```
tpl = (1,2,3,4,5)      # Create a new tuple

tpl[2] = 99             # Error since immutable
del tpl[2]              # Error since immutable
```

Tuples have only two methods

```
tpl = (2,2,5,5,5)      # Create a new tuple

print( tpl.count(5))   # 3, Number of times 5 occurs in tuple
print( tpl.index(5))   # 2, First position of 5
```

Heterogeneous data

```
tpl = (2,(5,6,7), "Hello", [89,10])
```

Tuples (like lists) can hold heterogeneous data types

Lists vs Tuples

Table 11.1 Python lists versus tuples

Feature	List	Tuple
Mutability	mutable	immutable
Creation	<code>lst = [i, j]</code>	<code>tpl = (i, j)</code>
Element access	<code>a = lst[i]</code>	<code>a = tpl[i]</code>
Element modification	<code>lst[i] = a</code>	<i>Not possible</i>
Element addition	<code>lst += [a]</code>	<i>Not possible</i>
Element removal	<code>del lst[i]</code>	<i>Not possible</i>
Slicing	<code>lst[i:j:k]</code>	<code>tpl[i:j:k]</code>
Slice assignment	<code>lst[i:j] = []</code>	<i>Not possible</i>
Iteration	<code>for elem in lst:...</code>	<code>for elem in tpl:...</code>

Tuples are a lightweight version of lists. The most significant difference is that tuples are immutable.

Convert between tuple and list

Convert between tuple and list is easy using `list()` and `tuple()`

```
lst = list( range(1,6) )      # Range to list
tpl = tuple(lst)              # List to tuple
print(lst, tpl)              # [1, 2, 3, 4, 5] (1, 2, 3, 4, 5)

tpl = tuple( range(10,51,10) ) # Range to tuple
lst = list( tpl )             # Tuple to list
print(lst, tpl)              # [10, 20, 30, 40, 50] (10, 20, 30, 40, 50)
```

Built-in functions work as expected for tuples

```
tpl = tuple( range(5) )
print(tpl)                # (0, 1, 2, 3, 4)
print( len(tpl) )         # 5
print( min(tpl) )         # 0
print( max(tpl) )         # 4
print( sum(tpl) )         # 10
```

Unpacking tuples

Unpacking $\Rightarrow$ assign tuple content to variables.

```
tpl = (1,2,3)      # Create tuple
a, b, c = tpl       # Unpacking tuple
print(a,b,c)       # Output: 1 2 3
```

Functions returning multiple values are actually returning tuples.

```
def m(): # Function returning three values
    x, y, z = 5, 6, 7
    return x,y,z

# Program starts
p = m()      # Receive multiple values as a tuple
print(p, type(p)) # (5, 6, 7) <class 'tuple'>

x,y,z = m()  # Unpack received tuple
print(x,y,z) # Output: 5 6 7
```

Hence, tuples and multi-assignments are closely connected

Tuples - A poor man's lists?

Why bother with tuples when we have lists? After all, lists can do everything tuples can and much more.

Tuple advantages

- ▶ Tuple are immutable $\Rightarrow$ less error prone
- ▶ Tuple access (e.g. `a = tp1[6]`) is faster
- ▶ Tuple creation is faster
- ▶ Tuple iteration is faster
- ▶ Tuples consume less memory

Hence, use tuples if possible for large data sets and time consuming operations.

Recommendation: Use tuples when you know the sequence size in advance and have no need for updating the sequence.

Introduction to Sets

Set: A non-sequential data structure with no duplicate elements

```
st = {4,3,2,1,2,3,4}
print("Set content:", st)    # Set content: {1, 2, 3, 4}
```

Notice: All duplicate elements are removed

Starting from an empty set

```
import random as rnd

st = set()                                # New empty set
for i in range(10):                       # Ten random integers in range 1 to 10
    r = rnd.randint(1,10)
    st.add(r)                             # Add if not already in set
print(len(st), st)                       # 6 {1, 3, 4, 5, 7, 9}
```

- ▶ Non empty sets are created using curly brackets (e.g. {1,2,3})
- ▶ An empty set is created using set() (not {}, {} is reserved for dictionaries)
- ▶ Sets are mutable $\Rightarrow$ we can add more elements using st.add(r)

Sets: No element order

```
strings = {"Hello", "Hej", "Hola", "Ciao", "Hej"}
print(strings)    # {'Hej', 'Ciao', 'Hello', 'Hola'}

floats = {4.17, 2.3, -1.1, 2.3}
print(floats)     # {2.3, 4.17, -1.1}

ints1 = {3, 17, -1, 6, 3}
print(ints1)      # {17, 3, -1, 6}

ints2 = {5,4,3,99,1,6}
print(ints2)      # {1, 99, 3, 4, 5, 6}
```

Notice: Output in no particular order $\Rightarrow$ sets are not ordered

```
strings = {"Hello", "Hej", "Hola", "Ciao", "Hej"}
for s in strings:
    print(s, end=" ") # Output: Hola Ciao Hej Hello
print()
```

Set iteration similar to list, tuple, and string iteration (but in arbitrary order)

Sets: Non-sequential

Sets are non-sequential and non-ordered $\Rightarrow$ elements have no positions, no indexing and, no slicing

```
ints = {1,3,5,7,9,11}

a = ints[2]           # Error
sub = ints[1:3]       # Error
```

Non-sequential

- ▶ No positions, no indexing (e.g. `ints[2]`) and, no slicing (e.g. `ints[1:3]`)
- ▶ No first element, no last element
- ▶ Iteration order is arbitrary

Sets operations

Set is a class $\Rightarrow$ comes with many methods

```
ints = {1,3,5,7}

ints.add(8)      # Add 8 if not already in set

if 5 in ints:    # Check if 5 is in set
    print("5 is in the list")

ints.update({2,4,6,8}) # Add a set of elements
print(ints)       # {1, 2, 3, 4, 5, 6, 7, 8}

ints.remove(5)    # Removes 5 from set, KeyError if not present
ints.discard(10)  # Removes x from set if present
print(ints)       # {1, 2, 3, 4, 6, 7, 8}

cp = ints.copy()  # New set with same elements as ints
ints.clear()      # Remove all elements from ints
print(ints, cp)   # set() {1, 2, 3, 4, 6, 7, 8}}
```

Sets as mathematical set

Python sets support mathematical set operations like union, intersection, ...

- ▶ `s.issubset(t)`: test whether every element in `s` is in `t` $\Rightarrow$ boolean result
- ▶ `s.issuperset(t)`: test whether every element in `t` is in `s` $\Rightarrow$ boolean result
- ▶ `s.union(t)`: new set with elements from both `s` and `t`
- ▶ `s.intersection(t)`: new set with elements common to `s` and `t`
- ▶ `s.difference(t)`: new set with elements in `s` but not in `t`
- ▶ `s.symmetric_difference(t)`: new set with elements in either `s` or `t` but not both

Not part of this course, but feel free to use them if you are comfortable with mathematical set operations

Python Set - Summary

Sets in Python are a non-sequential and non-ordered data structure with no duplicate elements

- ▶ Empty sets are created using `set()`
- ▶ Non-empty sets are created using curly brackets like `{3,1,2}`
- ▶ Sets are mutable $\Rightarrow$ we can add and remove elements using set methods
- ▶ Non-ordered $\Rightarrow$ arbitrary iteration and print-out order
- ▶ Set iteration is simple: `for s in myset: ...`
- ▶ Sets support mathematical set operations like union and intersection

When to use sets

- ▶ No duplicate elements is sometimes a very useful property
- ▶ Count number of different X $\Rightarrow$ add all X to a set and check the set size
- ▶ Looking up an element (i.e. `x in myset`) is much faster for sets compared to lists or tuples. Implementing sets will be a part of the mini-project.

Introduction to Dictionaries

```
# Create dictionary
dct = {"Jonas":56, "Ola": 55, "Tobias":43, "Morgan":45, "Fredrik":36}

age = dct["Ola"] # Look up value for key "Ola"
print("Age of Ola:", age)

dct["Jonas"] = 26 # Assign "Jonas" a new value
print(dct) # Print dictionary content
```

Output

Age of Ola: 55

{'Jonas': 26, 'Ola': 55, 'Tobias': 43, 'Morgan': 45, 'Fredrik': 36}

- ▶ A **dictionary** in Python is set of **key-value** pairs
- ▶ Often called **map** or **table** in other programming languages
- ▶ Here ('Jonas': 56) and ('Ola': 55) are two key-value pairs
- ▶ `age = dic["Ola"]` $\Rightarrow$ We look up the value corresponding to key "Ola"
- ▶ A dictionary is designed for a speedy look up of the value for a certain key.

Dictionaries: add and look-up

```
# Create start dictionary
dct = {"Jonas":56, "Ola": 55, "Tobias":43, "Morgan":45, "Fredrik":36}

dct["Jesper"] = 50      # Add new key-value pair
dct["Jonas"] = 57       # Assign key "Jonas" a new value

old = dct["Jonas"]      # Look up value for "Jonas" ==> OK
young = dct["Simon"]    # Look up non-existing key ==> KeyError
```

- ▶ `dct["Jesper"] = 50` $\Rightarrow$ Add new key-value pair since "Jesper" is a new key
- ▶ `dct["Jonas"] = 57` $\Rightarrow$ Assign a new value since "Jonas" is an existing key
- ▶ `old = dct["Jonas"]` $\Rightarrow$ Look up value for "Jonas" $\Rightarrow$ OK since an existing key
- ▶ `young = dct["Simon"]` $\Rightarrow$ `KeyError` since key "Simon" is missing

Starting from an empty dictionary

```
dct = {}    # An empty dictionary

for i in range(10,16): # 10, 11, 12, 13, 14, 15
    sq = i*i
    dct[i] = sq        # Add new key-value pair
print(dct)    # {10: 100, 11: 121, 12: 144, 13: 169, 14: 196, 15: 225}
print("Dictionary size:", len(dct)) # Dictionary size: 6
```

- ▶ `dct = {}` $\Rightarrow$ We create a new empty dictionary
Hence, `{}` is an empty dictionary and `set()` is an empty
- ▶ Dictionary can handle all types of keys and values
- ▶ Heterogeneous types:
`{8: 44, True: right, Beta: 100, 3.4: True, Alpha: up}`
- ▶ `len(dct)` $\Rightarrow$ Dictionary size $\Rightarrow$ Number of key-value pairs

Iterating over dictionary pairs

```
d = {"Fred" : 44, "Ella" : 39, "Owen" : 40, "Zoe" : 41}

for k in d.keys():           # Iterate over keys
    print(k, end= " ")      # Fred Ella Owen Zoe
print()

for v in d.values():         # Iterate over values
    print(v, end= " ")      # 44 39 40 41
print()

for k,v in d.items():        # Iterate over key-value pairs
    print(k, v, end= " ")   # Fred 44 Ella 39 Owen 40 Zoe 41
print()
```

- ▶ Methods `d.keys()` and `d.values()` give access to keys and values
- ▶ Method `d.items()` gives access to key-value pairs
- ▶ Iteration is non-ordered $\Rightarrow$ they can come out in any order

Use dictionary for counting

Problem: Generate 1000 random integers in range 1-10 and print how many of each number that is generated.

```
import random as rnd

count = {}      # An empty dictionary
for i in range(1000):
    r = rnd.randint(1,10)
    if r not in count: # If r not in dictionary
        count[r] = 0   # ... add with count zero
    count[r] += 1      # Update count for key r

for k,v in count.items():
    print(f"{k}\t{v}") # tab separated k,v print
```

Output

5	95
10	104
6	101
8	110
3	96
1	88
4	100
7	108
2	94
9	104

Dictionaries are excellent for counting how many x,y,z, ... we have found. Just remember to initialize a new key-value pair (x,0) the first time you see a new x.

Grouping elements using dictionaries

Problem: Generate 20 random integers in range 1-100 and group them as *odd* or *even*.

```
import random as rnd

# Initialize groups with two empty lists
groups = {"odd": [], "even": []}

for i in range(20):
    r = rnd.randint(1,100)
    if r % 2 == 0:
        groups["even"] += [r]    # Add r to even list
    else:
        groups["odd"] += [r]     # Add r to odd list

for k,v in groups.items():
    print(f"{k}\t{v}")          # Tab separated print
```

Output

```
odd      [35, 27, 41, 1, 49, 67, 13, 63, 97, 29, 79]
even     [92, 54, 78, 10, 8, 72, 42, 100, 58]
```

`groups = {"odd": [], "even": []}` $\Rightarrow$ Two pairs where the values are empty lists.

Dictionary Comprehensions

List Comprehensions $\Rightarrow$ a short (and fast) way to construct new lists

Dictionary Comprehensions $\Rightarrow$ a short (and fast) way to construct new dictionaries

```
# List comprehension
lst = [n**3 for n in range(2,11,2)]    # n = 2,4,6,8,10
print(lst)

# Dictionary comprehension
dct = {n:n**3 for n in range(2,11,2)}
print(dct)
```

Output

```
[8, 64, 216, 512, 1000]
{2: 8, 4: 64, 6: 216, 8: 512, 10: 1000}
```

Hence, we generate pairs ($n:n**3$) rather than single elements ($n**3$) when we use dictionary comprehensions. The result is a new dictionary.

Data Structure Summary

- ▶ Lists, tuples, sets, and dictionaries are all data structures
- ▶ Each of them has their own set of properties
- ▶ Lists are sequential, mutable and very flexible
- ▶ Tuples (a fast and light version of lists) are sequential and immutable
- ▶ Sets are non-ordered, non-sequential, has no duplicate elements, and provides a fast look up (compared to lists and tuples)
- ▶ Dictionaries are a non-ordered collection of key-value pairs designed to provide a fast look up of values for a certain key.
- ▶ Consider the data structures as tools in a toolbox. Learn their properties and how to use them.
- ▶ List are most frequently used, shortly followed by dictionaries.
They are both great!

The zip function

```
teachers = ("Jonas", "Ola", "Tobias", "Morgan", "Fredrik")
ages = (56, 55, 43, 45)    # No age for Fredrik!

lst = list( zip(teachers,ages) )    # Create list of tuples
print(lst)    # [('Jonas', 56), ('Ola', 55), ('Tobias', 43), ('Morgan', 45)]

lst = [1,2,3,4]
tpl = tuple( zip(lst,ages) )        # Zip list and tuple ==> tuple of tuples
print(tpl)                          # ((1, 56), (2, 55), (3, 43), (4, 45))

s = "Hello"
lst = list( zip(lst,s) )            # Zip list and string ==> tuple
print(lst)                          # [(1, 'H'), (2, 'e'), (3, 'l'), (4, 'l')]
```

- ▶ Sequential data like strings, lists, and tuples can be zipped
- ▶ $\text{zip}(a,b) \Rightarrow$ form a sequence of tuple pairs, one element from each of a and b.
- ▶ The shorter sequence decides the length of the result
- ▶ The zip result can be a list (using `list()`) or a tuple (using `tuple()`)

The join method for strings

```
teachers = ("Jonas", "Ola", "Tobias", "Morgan", "Fredrik")
print( " x ".join(teachers) )

lst = [1,2,3,4]
as_strings = [str(n) for n in lst]
print( " --> ".join(as_strings))

s = "Hello"
print( ", ".join(s))
```

Output

```
Jonas x Ola x Tobias x Morgan x Fredrik
1 --> 2 --> 3 --> 4
H,e,l,l,o
```

- ▶ The `join()` string method returns a string by joining all the elements of a string sequence, separated by a string separator.
- ▶ Syntax: `sep_string.join( string_sequence )` where `string_sequence` is a sequence (list, tuple or string) containing strings, and `sep_string` is the string that will separate the elements in `string_sequence` once they been joined.

The keywords `None` and `pass`

```
def is_positive(n):
    if n == 0:
        return      # Will return None
    else:
        return n > 0

def tricky_function():    # Function with no return value
    # Not yet implemented
    pass                 # Compilation error if removed

# Program starts
print( is_positive(0) )   # Output: None

p = tricky_function()
print(p)                 # Output: None
```

- ▶ The keyword **pass** is a null (empty) statement. Not ignored by the interpreter but nothing will happen. The `pass` statement is useful when you don't write the implementation of a function but you want to implement it in the future.
- ▶ The **None** keyword is used to define a null value, or no value at all. Operations on `None` will give an error.

Assignment 3 information

Due to technical problems with Gitlab and us realizing that that the deadline is much too tough, things have changed.

- ▶ A new deadline for Assignment 3 is Wednesday, October 7, at 23.55.
- ▶ We use the Moodle submission system to submit Assignment. It is easy, just zip the folder `YourUsername_assign3` into a zip file and upload it using the Assignment 3 submission in Moodle.
- ▶ Assignment 3 will be graded using the ECTS scale A-F (where F is Fail) and we require you to handle all exercises marked as "If time permits" to get the two highest grades, A or B, and you need to handle all mandatory exercises to avoid an F.